

# Extra-Galactic magnetic fields and high energy cosmic rays

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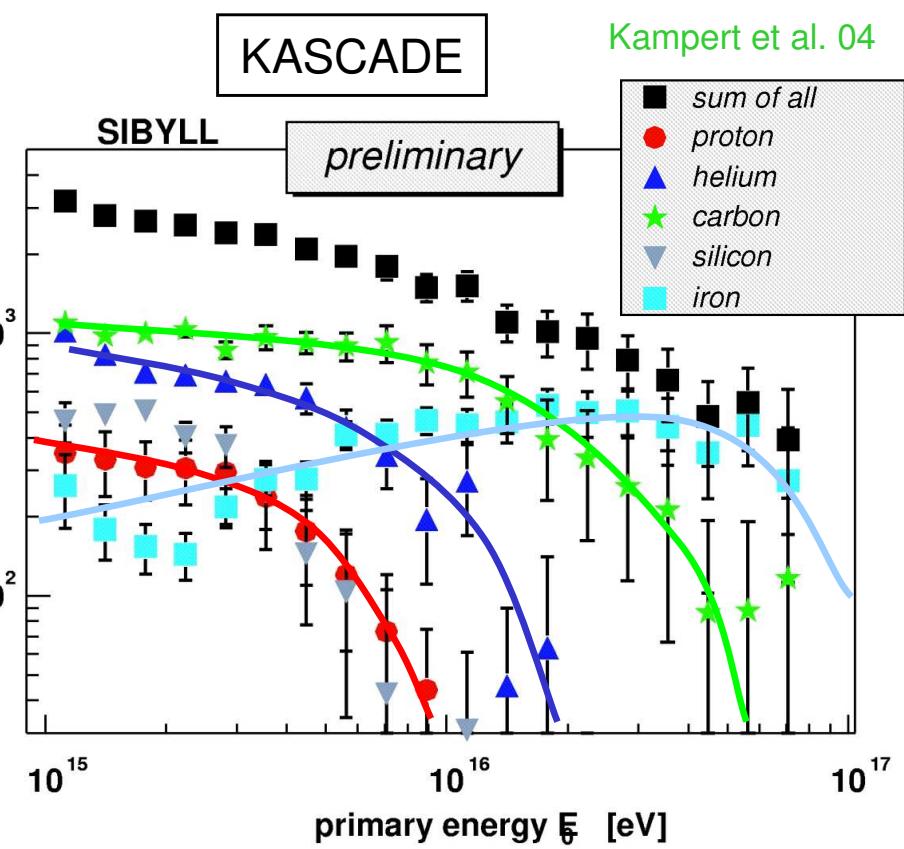


M. L., PRD 71:083007 (2005), astro-ph/0411173

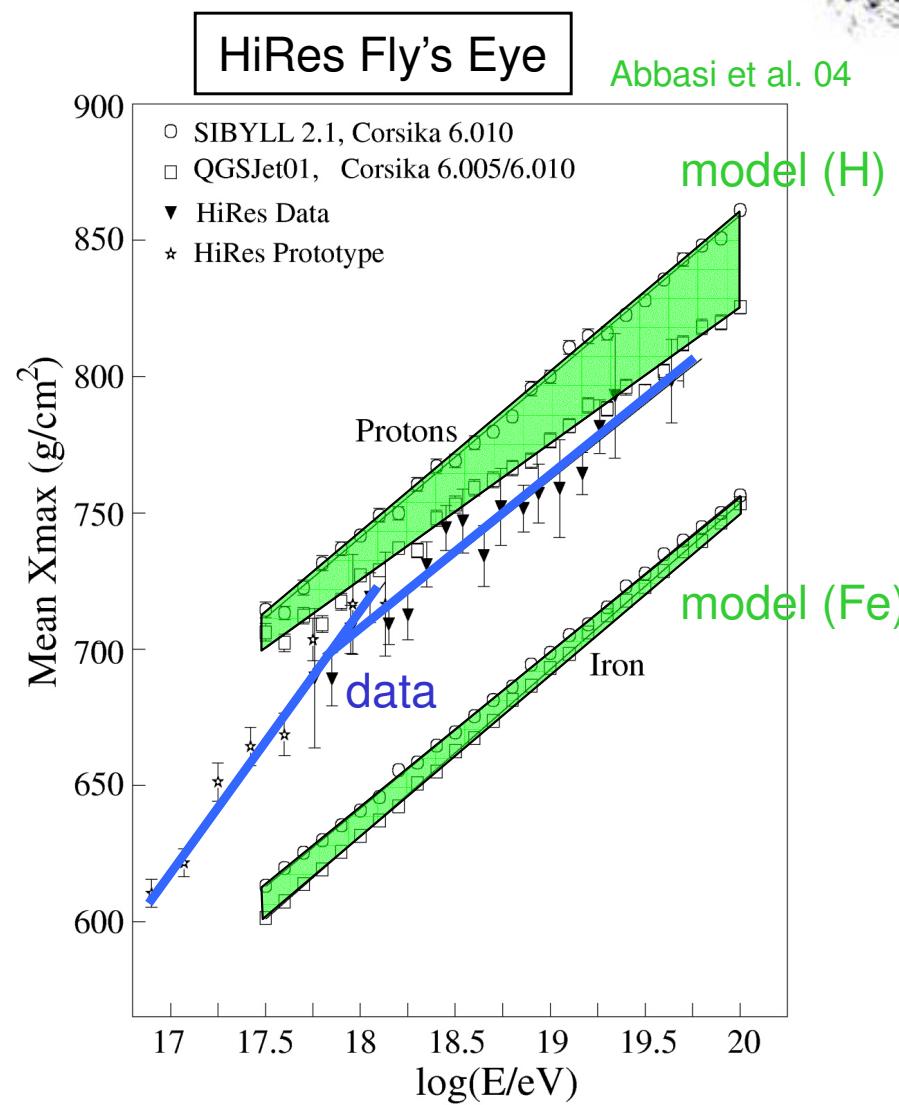
M. L. & B. Revenu, in preparation

# Recent data: knee → ankle

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rigidity dependent knee:  $E_{\text{knee}} \sim Z \times 2 \cdot 10^{15} \text{ eV}$



change of chemical composition:

iron  $\rightarrow 10^{17.5} \text{ eV}$  ( $\sim$  second knee!)  
proton  $10^{17.5} \text{ eV} \rightarrow \dots ?$

# A new interpretation for the ankle...

Berezinsky & Grigoreva 88  
Berezinsky et al. 02, 03, 04, 05

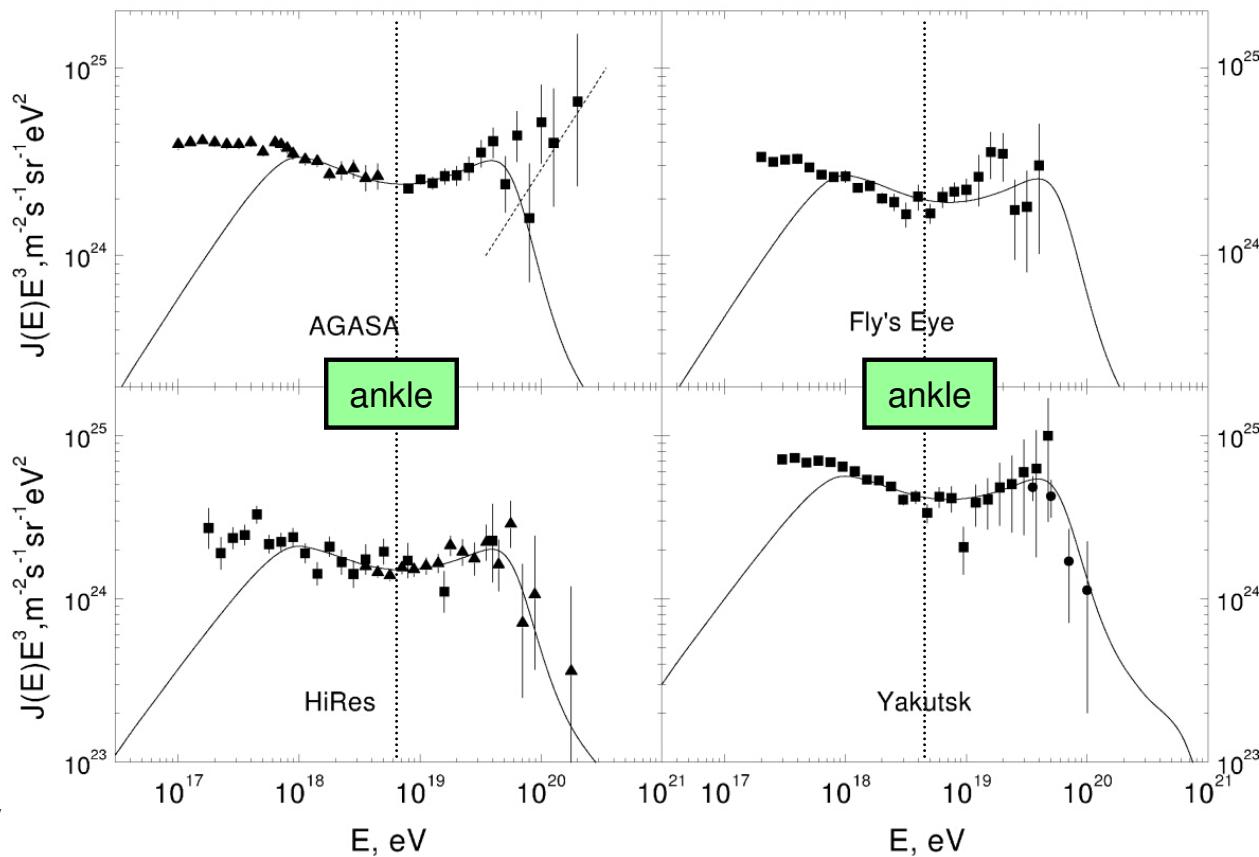


a population of sources at cosmological distances  
+  
proton pair production on CMB:  $p + \gamma_{\text{CMB}} \rightarrow p + e^+e^-$



dip in the spectrum at  $E \sim 10^{19}$  eV  $\sim$  ankle!

ankle = pair production dip  $\Rightarrow$  GZK cut-off !

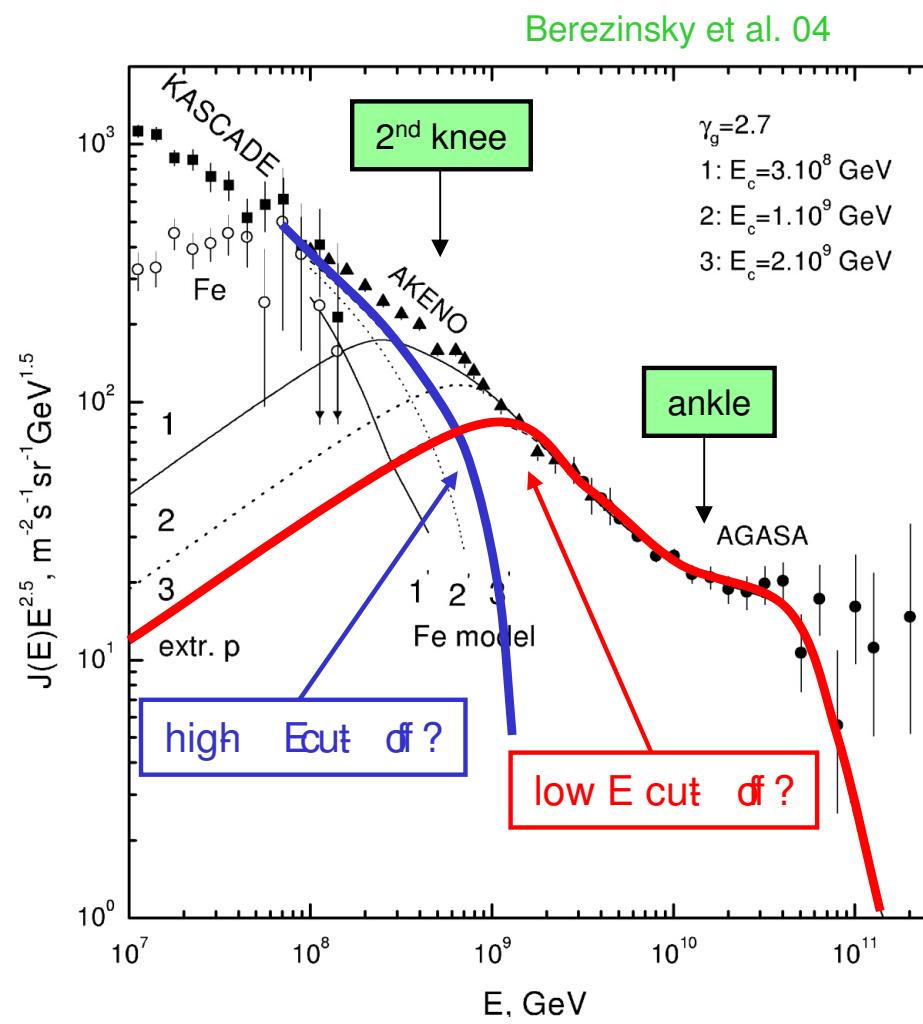


index:  $s = 2.7$

cut off below  $10^{18}$  eV

# ... but transition from Galactic $\rightarrow$ extra-Galactic CRs?

low-energy cut-off  $\rightarrow$  transition between Galactic and extra-Galactic CRs at second knee !



however: requires fine-tuning !? ... physical meaning of low-energy cut-off ?

# A natural solution : extra-Galactic magnetic fields

M. L., PRD71:083007 (2005); Aloisio & Berezinsky 05

- A natural and economical interpretation for high E cut-off of Galactic CRs:

knee = maximal energy at source  $\Rightarrow$  high E cut-off at Fe knee

- A new interpretation for low E cut-off of extra-Galactic CRs:

extra-Galactic magnetic fields shield detector from extra-Galactic CRs at  $E \lesssim 10^{18}$  eV

- length traveled by diffusing on B inhomogeneities in a Hubble time:

$$L \simeq (\lambda_{\text{diff}} c/H_0)^{1/2} \sim 65 \text{ Mpc} \quad (\lambda_{\text{diff}} / 1 \text{ Mpc})^{1/2} \quad [\lambda_{\text{diff}}(E, B, \dots)]: \text{scattering length}]$$

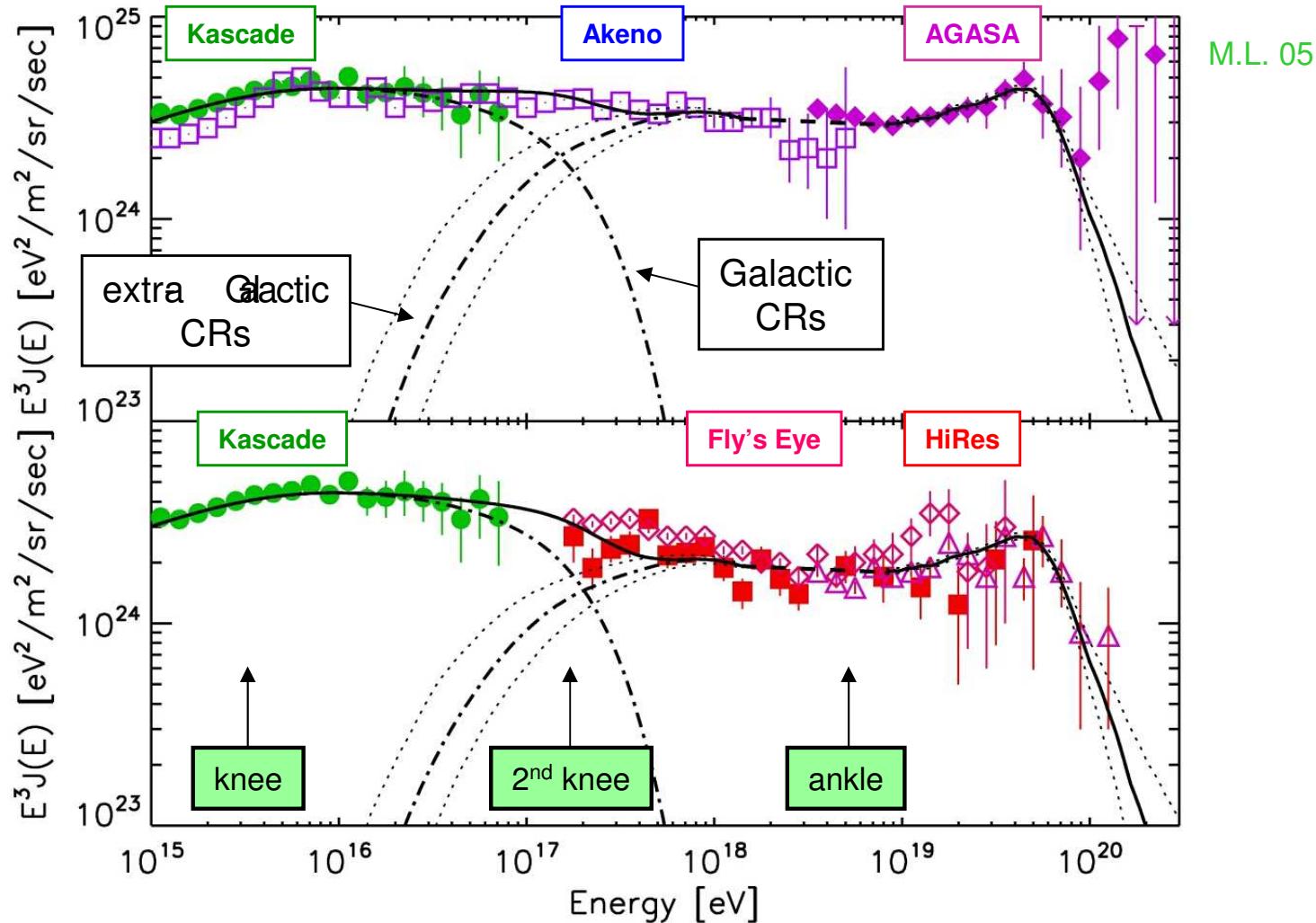
- if closest source distance  $\gtrsim L \Rightarrow$  sources outside CR horizon ;  
then, since  $\lambda_{\text{diff}}$  growing function of E  $\Rightarrow$  low-energy cut-off

$$\bullet \text{ Note 1: for } R_L \gg l_{\text{coh}}, \quad \lambda_{\text{diff}} \sim \frac{R_L^2}{l_{\text{coh}}} \sim 0.1 \text{ Mpc} \left( \frac{E}{10^{17} \text{ eV}} \right)^2 \left( \frac{B \sqrt{l_{\text{coh}}}}{0.1 \text{ nG.Mpc}^{1/2}} \right)^{-2}$$

- Note 2: expected source distance scale  $\sim 50\text{-}100 \text{ Mpc}$  Yoshiguchi et al. 03; Blasi & De Marco 04;  
Kachelriess & Semikoz 05

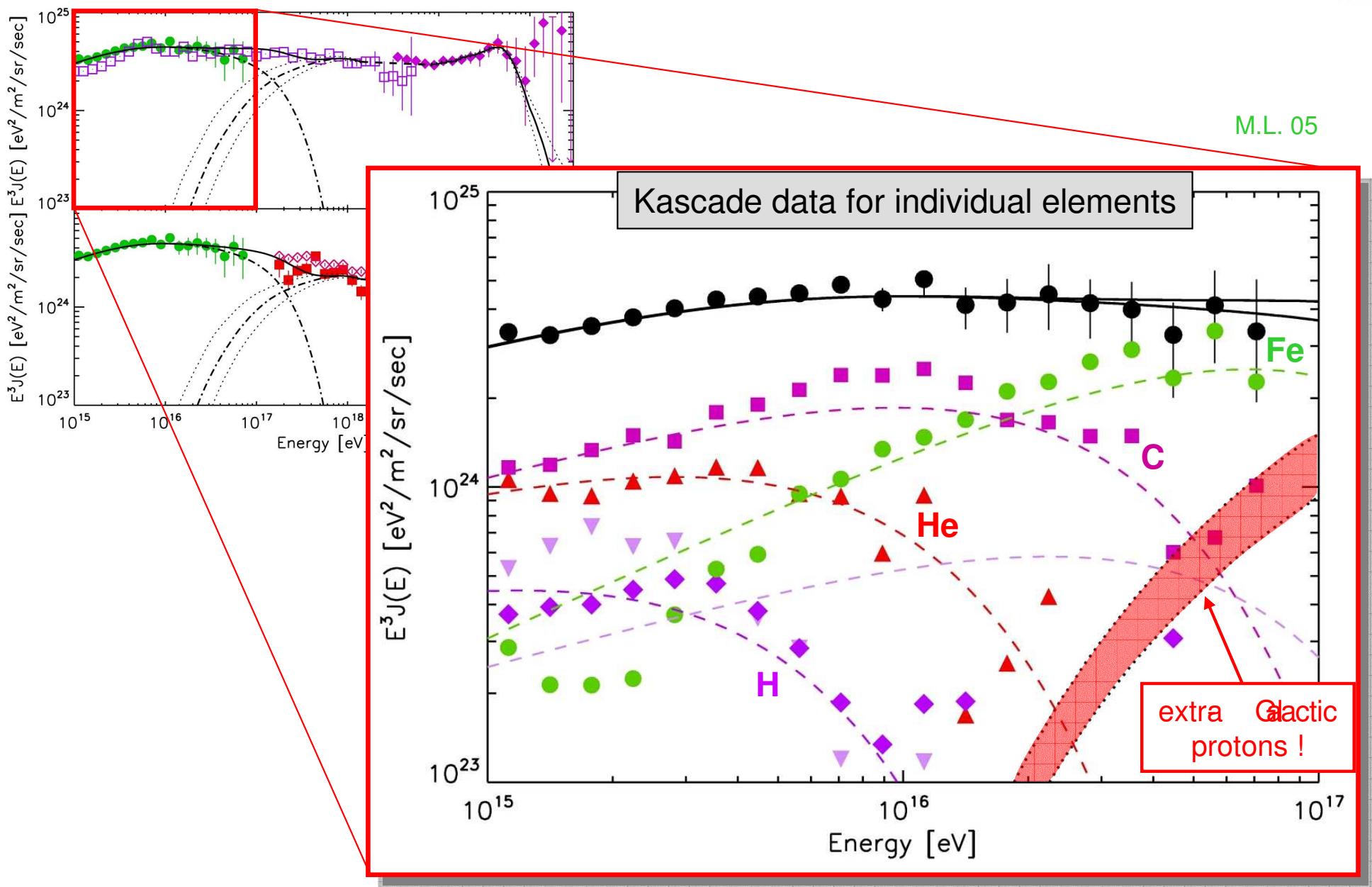
# A natural solution : extra-Galactic magnetic fields

two free parameters:  $s \simeq 2.6$ ,  $B\sqrt{t_{coh}} \simeq 0.2 \text{ nG.Mpc}^{1/2}$



- Note:  $B I_{coh}^{1/2} \sim 0.3 \text{ nG.Mpc}^{1/2} \ll \text{observational upper limit} \sim 10 \text{ nG.Mpc}^{1/2}$
- Note: this scenario not applicable to  $\gamma$ -ray bursts sources: closest source  $\in$  Milky Way

# A natural solution : extra-Galactic magnetic fields



# Other models for the transition at the second knee

- modulation of cosmic-ray flux: Muraishi et al. 05

strong Galactic magnetic field in halo forbids entry to extra-Galactic CRs below:

$$E_{\min} \sim Z \times 6 \cdot 10^{15} \text{ eV} (B_{\mu G} R_{100 \text{kpc}} V_{300 \text{km/s}} / n_{100}) \quad (\text{too low ?!})$$

- cut-off at source: Berezinsky et al. 02

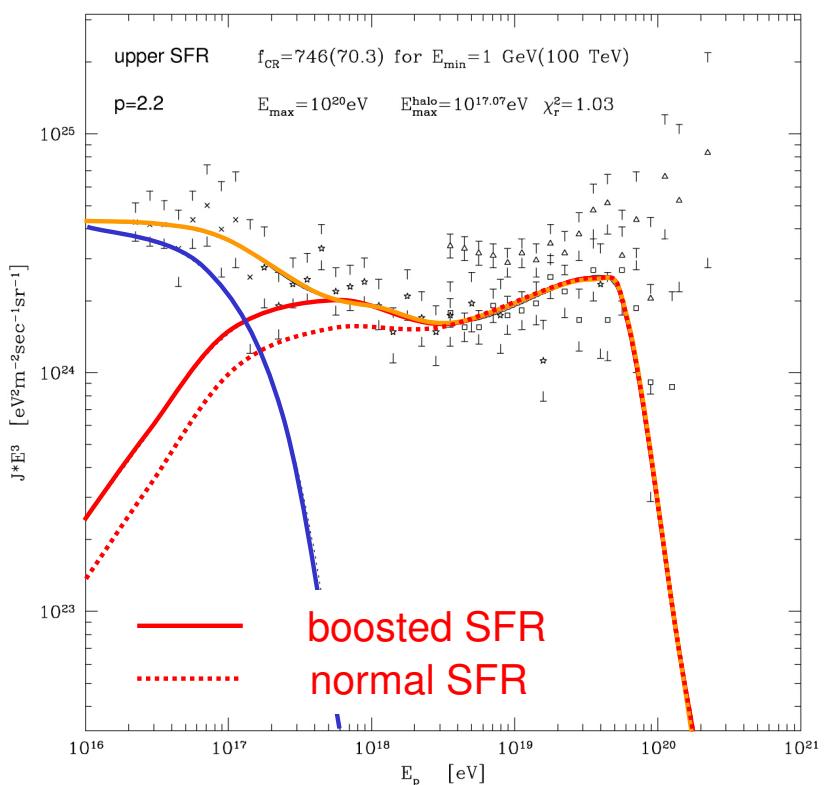
source magnetic field ? M.L. 05  
 ... requires  $B \sim \mu G$  on  $L \sim 100$  kpc

- strong evolution of source luminosity:

Wick et al. 04  
 De Marco & Stanev 05

$L_{\text{source}} \propto (1+z)^m$ , with  $m \sim 3-4$   
 « harder » spectrum  $s \sim 2.2 - 2.4$

note: this exceeds strong upper bound on cosmic SFR from SN v background  
 (Strigari et al. 05)



# Relativistic shock acceleration and spectral index s

- Fermi I acceleration in relativistic shocks:

$$\left. \begin{array}{l} P_{\text{return}} \simeq 0.4 \\ \langle p_{i+1}/p_i \rangle_{\text{cycle } i} \simeq 2 \end{array} \right\} \Rightarrow \cancel{\text{canonical slope } s \simeq 2.2-2.3}$$

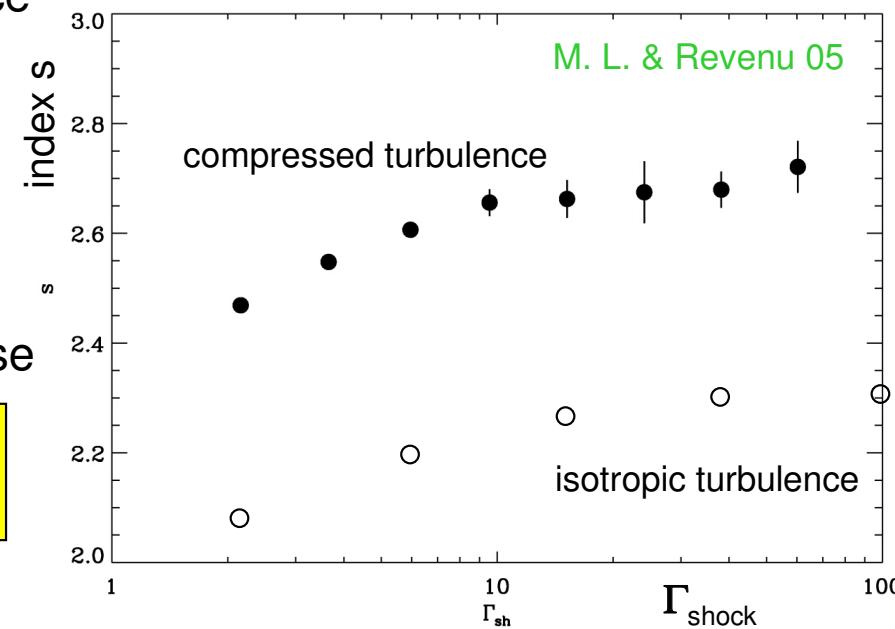
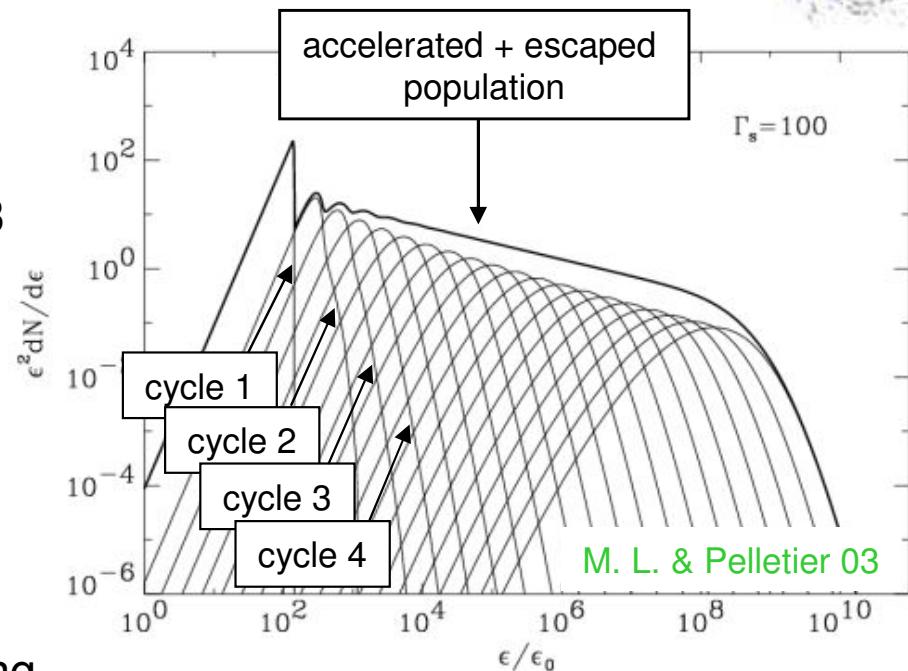
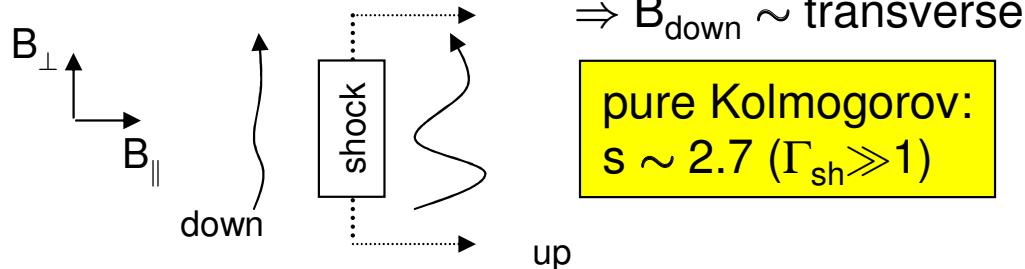
Bednarz & Ostrowski 98  
 Kirk et al. 00  
 Achterberg et al. 01  
 M. L. & Pelletier 03  
 Keshet & Waxman 04

assumes isotropic scattering !

but: { coherent B field  $\Rightarrow$  anisotropic scattering  
 shock compression  $\Rightarrow$  anisotropic turbulence

- Acceleration including compression effects:

$$\frac{B_{\perp, \text{down}}}{B_{\perp, \text{up}}} \simeq \Gamma_{\text{shock}} \sqrt{8} \quad (\Gamma_{\text{shock}} \gg 1)$$



# Conclusions ...

